367

# The Crystal Structure of Bis(hydrazine)zinc Isothiocyanate

BY A. FERRARI, A. BRAIBANTI, G. BIGLIARDI AND A. M. LANFREDI

Centro di Strutturistica Chimica del C.N.R. Sezione di Parma. — Istituto di Chimica generale and Istituto di Mineralogia, Università di Parma, Italy

(Received 24 March 1964)

The crystals of bis(hydrazine)zinc isothiocyanate are monoclinic, space group  $P2_1/a$ , and are twinned according to the (100) law. The structure is characterized by chains of octahedral complexes. The octahedra  $[Zn(N_2H_4)_{4/2}(NCS)_2]$  are held together by bridges of hydrazine. The six bond lengths Zn-N are equal (2.17 Å). The hydrazine molecules are present in two enantiomorphous "staggered" forms. The distance N-N in hydrazine is 1.47 Å. The NCS<sup>-</sup> group is bound to the metal through the nitrogen atom. The interchain distances  $N \cdots S$  within layers parallel to (010) are shorter than the distances  $N \cdots S$  between layers.

The compounds with the general formula

$$[M^{11}(N_2H_4)_2(NCS)_2]$$
,

where  $M^{II} = Cd$ , Zn, Co, Ni, Fe or Mn form monoclinic, isostructural crystals (Ferrari, Braibanti & Lanfredi, 1961). The crystals are always twinned, the twin law being (100).

The crystal structure of the zinc compound has been now investigated.

## **Experimental**

The twinned crystals of bis(hydrazine)zinc isothiocyanate are colorless, very fine needles. Photographs were taken by rotation around [001].

The Buerger symmetry of the Weissenberg photographs is found to be  $C_{2l}$  both for the zero-layer photograph and also for the equi-inclination photographs of the upper layers, owing to twinning according to the (100) law. The situation has been illustrated by Trotter (1959).

The unit cell has

$$a = 7 \cdot 141 \pm 0.004, \ b = 14 \cdot 756 \pm 0.005,$$
  
 $c = 4 \cdot 214 + 0.005 \text{ Å}; \ \beta = 105^{\circ} \cdot 30' + 8'$ 

and contains two stoichiometric units

 $[Zn(N_2H_4)_2(NCS)_2]$ .

One repeat distance (c side of the unit cell) in the crystals of bis(hydrazine)zinc isothiocyanate and also of the manganese and cadmium compounds, is constantly 0.08 Å longer than one repeat distance of the corresponding chloride (Ferrari, Braibanti & Bigliardi, 1962) and acetate (Ferrari, Braibanti & Lanfredi, 1963) (Table 1).

Systematic absences allow the assignment of the crystals to the space group  $P2_1/a$  ( $C_{2h}^5$ ).

Integrated spots were obtained by a Weissenberg-Wiebenga apparatus with the multiple film technique. Cu  $K\alpha$  radiation (Ni filter) was used throughout. Blackening was estimated visually. Absorption correction as for cylindrical specimens (Bond, 1959) was applied ( $\mu R = 0.3$ ). The Lorentz and polarization factors were calculated on an Olivetti Elea 9002 computer. The form factors were calculated by a program prepared by Panattoni, Frasson & Mammi (1960), the Forsyth & Wells (1959) formula being used.

## **Determination of the structure**

Observed intensities were approximately scaled by Wilson's (1942) method. The Patterson synthesis

Table 1. Comparison between unit cell constants of bis(hydrazine)divalent-metal isothiocyanates, chlorides and acetates

	[MI	$(N_2H_4)_2(NC)$	S) <sub>2</sub> ]	נן	$M^{II}(N_2H_4)_2]C$	1 <sub>2</sub>	$[\rm M^{11}(\rm N_{2}H_{4})_{2}](\rm CH_{3}\rm COO)_{2}$			
	Cd	Zn	Mn	Cd	Zn	Mn	Cd	Zn	Mn	
a (Å)	7.28	7.14	7.21	9.30	8.99	9.08	6.65	6.58	6.63	
b (Å)	14.94	14.76	14.82	8.00	7.92	8.01	8.73	8.52	8.60	
c (Å)	4.41	$4 \cdot 21$	4.37	4.33	4.13	4.29	4.33	4.14	4.28	
α	_	_					91° 17′	90°	90° 32′	
β	106° 26'	105° 30'	105° 59'	106° 10′	105° 32'	105° 30'	90° 58′	90° 25′	90° 39′	
· v							97° 52'	96° 52'	96° 42′	
ż	2	2	2	2	<b>2</b>	2	1	1	1	
Space group	·	$C_{2h}^{5} - P2_{1}/a$		` <u>_</u>	$C_{2h}^3 - C2/m$		\ <u></u>	$C_i^1 - \overline{P}\overline{1}$		

 $\rho_o = 1.914 \text{ g.cm}^{-3}, \rho_c = 1.906 \text{ g.cm}^{-3}.$ 



Fig. 1.  $\rho_0(xy)$ . Contours every 2 e.Å<sup>-2</sup> starting from 2 e.Å<sup>-2</sup>. In Zn-peaks contours are at intervals of 5 e.Å<sup>-2</sup> starting from 10 e.Å<sup>-2</sup>.

P(uv) shows outstanding maxima, which were attributed to vectors Zn-S (Beevers & Robertson, 1950). A Fourier synthesis  $\rho_o(xy)$  (Fig. 1) was then calculated and, from this, the location of the other atoms was readily found. Only N atoms of hydrazine molecules overlap appreciably. The residual was at

	Table	<b>2</b> .	Observed	reflexions	and	residual
--	-------	------------	----------	------------	-----	----------

Residuals

				*
Re- flexions	Pos- sible	Ob- served	without H contributions	with H contributions
hk0	132	114	0.096	0.092
hkl	262	231	0.106	0.103
hk2	234	218	0.162	0.128
$\operatorname{Total}$	628	563	0.124	0.121

this stage  $R_{hk0}=0.27$ . The atomic z coordinates were approximately derived from the components of the first-layer generalized Patterson projection  $_{C}P_{1}(uv)$ and  $_{S}P_{1}(uv)$ .

All the coordinates were improved further by the generalized projection components  $C_1(xy)$ ,  $S_1(xy)$ ,  $C_2(xy)$ ,  $S_2(xy)$ .

Three-dimensional refinement was carried out by calculating the line synthesis  $\rho_o(x_iy_iz)$  at a number of points  $x_iy_i$  around the centres of the maxima in the  $\rho_o(xy)$ . Finally line electron distributions

	Table	3. (	Comparison	between	calculated	and	observed	structure	factor	s
--	-------	------	------------	---------	------------	-----	----------	-----------	--------	---

10.9	103	10F	10,	l l	10P_ 10	°.	108	10P	1 10	0F_ 10	Pol	107	10P.		10P	10F_	ł	10F	10P_		108_	107
$ \sum_{k=1}^{k} \frac{4}{4} = 0 $	$\sim$ 0 $\sim$ 805 923 33 34 $\sim$ 929 92 92 92 92 92 92 92 92 92 92 92 92	$\begin{array}{c} & 67\\ 3 & 8 & 89\\ 4 & 8 & 99\\ 5 & 8 & 65\\ 6 & 8 & 99\\ 7 & 9 & 92\\ 3 & 9 & 92\\ 6 & 6 & 99\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 9 & 92\\ 7 & 100 & 578\\ 3 & 4 & 100 & 385\\ 5 & 6 & 100 & 245\\ 1 & 100 & 385\\ 5 & 6 & 100 & 245\\ 1 & 100 & 385\\ 5 & 6 & 100 & 245\\ 1 & 100 & 385\\ 5 & 6 & 100 & 245\\ 1 & 100 & 385\\ 5 & 6 & 100 & 245\\ 1 & 100 & 385\\ 5 & 6 & 100 & 245\\ 1 & 100 & 385\\ 5 & 6 & 100 & 245\\ 1 & 100 & 385\\ 1 & 100 & 385\\ 1 & 100 & 385\\ 1 & 100 & 385\\ 1 & 100 & 385\\ 1 & 100 & 100 & 2$	- 0 00 1 4 5980 17 20266 5 − 1 6257 17 66 368 49 35 − 385 76 17 12 15 168 10 3 14 38 33 74 38 − 180 180 180 180 180 180 180 180 180 180	46688011111111111111111111111111000000000	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	0 88 20 27 83 33 19 50 20 34 00 11 12 2 - 3 - 4 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 4 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 - 7 - 0 - 1 - 2 - 3 - 4 - 5 - 5 - 6 -	$ \begin{array}{c} 4 & 279 \\ 218 \\ $	$\begin{smallmatrix} & & & & & \\ & & & & & & \\ & & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & & & & \\ & & & $	8 9 9 9 9 9 9 9 9 9 9 9 9 9 0 10 10 10 10 10 10 10 10 10 10 10 10 1	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	0       763       65-0       6       763       66       763       66       763       763       763       763       763       763       763       764       763       764       763       764       763       764       763       764       763       764 <td>3 131 11 2 3 131 11 2 3 131 11 2 4 314 4 26 4 26 5 5 5 16 1 1 2 16 5 5 5 16 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 1 2 16 1 1 1 1 1 1 1 1 1</td> <td>10         10           138         138           1503         321           1603         322           749         97           230         322           725         797           103         322           1255         797           103         65           165         135           103         64           103         65           105         135           201         -           201         -           201         -           201         -           201         -           201         -           201         -           133         135           50         -           80         -           210         -           -         132           133         138           500         -           1321         132           132         132           133         132           134         2000           405         395           314</td> <td>۵ - ۵ - ۱ - ۵ - ۵ - ۵ - ۵ - ۵ - ۵ - ۵ -</td> <td><math display="block">\begin{array}{c} 1 \\ 1 \\ 1 \\ 2 \\ 2 \\ 2 \\ 3 \\ 2 \\ 3 \\ 3 \\ 2 \\ 3 \\ 3</math></td> <td><math display="block">\begin{array}{c} 1 &amp; 5 \\ 3 &amp; 3 \\ 1 &amp; 5 \\ 7 &amp; 3 \\ 1 &amp; 5 \\ 1 &amp; 2 \\</math></td> <td>22334455566780112233445556678011223344455667801122334445566780112233445566670112233444556</td> <td>c 55645221379221351152521045625104562510456452213792213511525210456251045625104562510456251491-42-33657-16565445251491-42-33657-165654545251491-42-33657-165654545251491-12574451211311095510122677165664480201161055542-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-1213110955101226771656664480201161051584-121311095510122677165666480201161051584-12131109551012267716566648020116105184-12131109551012267716566648020116105184-121311095510122677165666480201161051884-121311095510122677165666480201161051884-121311095510122677165666480201161051884-121311095510122677165666480201161051884-1213110055102000000000000000000000000000</td> <td><math display="block">\begin{array}{c} \mathbf{a} \\ \mathbf{a} \\ <b>3</b> \\ <b>3</b> \\ <b>3</b> \\ <b>5</b> \\ </math></td> <td>70 1 1 2 2 3 3 4 4 5 5 6 7 0 1 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2</td> <td><math display="block">\begin{smallmatrix} \mathbf{c} \\ \mathbf{c} </math></td> <td><math display="block">\begin{smallmatrix} \bullet &amp; 236664372281\\ 1447512300\\ 12248124202100 \\ 1224819906021821990601\\ 1224819906021821990601\\ 124819906011478482191958266779283347771284066558600\\ 1248299060114784821995826677928334777128666558600\\ 12482958667792833477712840665588600\\ 12482958667728466558600\\ 12482958667728466558600\\ 12482958667728666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 1248295866779286665558600\\ 1248295866779286665558600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 12482956779866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 12482956779266665558600\\ 12482956779266665558600\\ 12482956779266665566666566666666666666666666</math></td>	3 131 11 2 3 131 11 2 3 131 11 2 4 314 4 26 4 26 5 5 5 16 1 1 2 16 5 5 5 16 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 2 16 1 1 1 1 2 16 1 1 1 1 1 1 1 1 1	10         10           138         138           1503         321           1603         322           749         97           230         322           725         797           103         322           1255         797           103         65           165         135           103         64           103         65           105         135           201         -           201         -           201         -           201         -           201         -           201         -           201         -           133         135           50         -           80         -           210         -           -         132           133         138           500         -           1321         132           132         132           133         132           134         2000           405         395           314	۵ - ۵ - ۱ - ۵ - ۵ - ۵ - ۵ - ۵ - ۵ - ۵ -	$\begin{array}{c} 1 \\ 1 \\ 1 \\ 2 \\ 2 \\ 2 \\ 3 \\ 2 \\ 3 \\ 3 \\ 2 \\ 3 \\ 3$	$\begin{array}{c} 1 & 5 \\ 3 & 3 \\ 1 & 5 \\ 7 & 3 \\ 1 & 5 \\ 1 & 2 \\$	22334455566780112233445556678011223344455667801122334445566780112233445566670112233444556	c 55645221379221351152521045625104562510456452213792213511525210456251045625104562510456251491-42-33657-16565445251491-42-33657-165654545251491-42-33657-165654545251491-12574451211311095510122677165664480201161055542-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-121311095510122677165664480201161051584-1213110955101226771656664480201161051584-121311095510122677165666480201161051584-12131109551012267716566648020116105184-12131109551012267716566648020116105184-121311095510122677165666480201161051884-121311095510122677165666480201161051884-121311095510122677165666480201161051884-121311095510122677165666480201161051884-1213110055102000000000000000000000000000	$\begin{array}{c} \mathbf{a} \\ \mathbf{a} \\ 3 \\ 3 \\ 3 \\ 5 \\ $	70 1 1 2 2 3 3 4 4 5 5 6 7 0 1 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	$\begin{smallmatrix} \mathbf{c} \\ \mathbf{c} $	$\begin{smallmatrix} \bullet & 236664372281\\ 1447512300\\ 12248124202100 \\ 1224819906021821990601\\ 1224819906021821990601\\ 124819906011478482191958266779283347771284066558600\\ 1248299060114784821995826677928334777128666558600\\ 12482958667792833477712840665588600\\ 12482958667728466558600\\ 12482958667728466558600\\ 12482958667728666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 124829586677928666558600\\ 1248295866779286665558600\\ 1248295866779286665558600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 1248295866779286665559600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 12482958667792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 12482956779866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 124829567792866655598600\\ 12482956779266665558600\\ 12482956779266665558600\\ 12482956779266665566666566666666666666666666$

Starred reflexions were not used in the refinement because of their uncertain attribution to the proper individual of the twin.

Table 4. Atomic coordinates, e.s.d.'s and curvatures

				B = 1	9 A <sup>2</sup>				
		$\sigma(x)$	$(-\partial^2 \varrho/\partial x^2)$		$\sigma(y)$	$(-\partial^2 \varrho/\partial y^2)$		$\sigma(z)$	$(-\partial^2 \varrho/\partial z^2)$
	x a	(Å)	(e.Å <sup>-5</sup> )	y/b	(Å)	$(e.A^{-5})$	z/c	(Å)	(e.Å <sup>-5</sup> )
Zn	0.5000			0.5000		<u> </u>	0.0000	<u> </u>	
S	-0.0130	0.00370	322.7	0.2940	0.00319	317.3	0.1205	0.00533	117.9
С	0.1295	0.01270	93.9	0.3729	0.00698	144.9	0.0311	0.01614	38.9
N(1)	0.4356	0.01568	76.1	0.6029	0.00834	121.5	0.3257	0.01758	35.8
N(2)	0.3364	0.01030	115.8	0.5740	0.00987	102.6	0.5724	0.01433	43.9
N(3)	0.2335	0.00980	121.7	0.4290	0.00823	$123 \cdot 1$	0.0132	0.01626	38.7
$\mathbf{H}(1)$	0.5740		_	0.6251		_	0.4498		_
$\mathbf{H}(2)$	0.3597			0.6577			0.1979		
$\mathbf{H}(3)$	0.2646			0.6300			0.3682		
$\mathbf{H}(4)$	0.2336			0.5259	_		0.5373		



Fig. 2. Diagrammatic projection of the structure on the plane normal to [001]. Broken lines: distances within the complex  $[Zn(N_2H_4)_{4/2}(NCS)_2]$ . Dotted lines: interchain distances. Full lines: interations bonds.

 $(\varrho_o - \varrho_c)(x_i y_i z)$  were calculated at the same points and corrections applied.

At the end of the refinement the residuals of Table 2 were obtained. Calculated and observed structure factors are quoted in Table 3. The curvatures (Table 4) of the peaks were calculated at the atomic centres. Standard deviations of the coordinates were calculated by Cruickshank's method (1949). The final atomic coordinates are quoted in Table 4. The coordinates of the hydrogen atoms have been calculated for the 'staggered' form of the hydrazine molecule with the azimuthal angle  $\varphi = \pm 74^{\circ}$ , as deduced from the positions of the zinc and nitrogen atoms, and from the bond lengths and bond angles N-N=1.47 Å, N-H=1.04 Å,  $N-N-H=108^{\circ}$ ,  $H-N-H=108^{\circ}$ .

#### Discussion of the structure

The main distances and angles are quoted in Table 5. The e.s.d.'s of the distances have been calculated according to Ahmed & Cruickshank (1953) and those of the angles according to Darlow (1960).

The structure of the compound is diagrammatically represented in Fig. 2 and in Fig. 3. The structure is formed by chains of octahedral complexes  $[Zn(N_2H_4)_{4/2}(NCS)_2]$  which have the metal at their

centre and are bound together by bridges of hydrazine. The chains run throughout the whole crystal parallel to [001]. The metal atom is surrounded by six N atoms; two of them belong to NCS- groups and four to different hydrazine molecules. The six distances Zn-N are practically equal (2·17 Å), the negative charge of the NCS- group having no influence. The angles within the octahedron are very near to those of a regular octahedron. The general feature of the structure repeats that of compounds  $[M^{II}(N_2H_4)_2]Cl_2$ (Ferrari, Braibanti & Bigliardi, 1963; Ferrari, Braibanti, Bigliardi & Dallavalle, 1963).



Fig. 3. Diagrammatic projection of one chain on the plane normal to [100] with distances and angles relative to the hydrazine molecules. l and r indicate the left and right forms of hydrazine.

The hydrazine molecule  $H_2N-NH_2$  has practically the same length (N-N=1.47 Å) as already found in other compounds. Hydrazine is in the 'staggered' form according to the model of Penney & Sutherland (1934) (Fig. 4). The 'staggered' form is confirmed by the rotated disposition of the two halves of the molecule deduced by the azimuthal angle formed by the bonds Zn-N in the projection down the N-N axis. Along the bond directions or very close to them, there must be the lone pairs of the hydrazine nitrogen atoms. The rotation has been calculated to be  $\varphi = \pm 74^{\circ}$ and it is practically the same as that calculated in  $[Zn(N_2H_4)_2]Cl_2$  ( $\varphi = \pm 74^{\circ}$ ) and in  $[Mn(N_2H_4)_2]Cl_2$ ( $\varphi = \pm 76^{\circ}$ ). The angle N-H  $\cdots$  M = 118° is very close to that found in the same compounds (117° in both).



Fig. 4. l and r enantiomorphous forms of the hydrazine molecule  $H_2N-NH_2$ . (a) Clinographic projection. (b) Projection down the N-N axis.

The hydrazine molecules are present in the structure in two enantiomorphous forms (l and r). A statistical distribution of the two forms l and r may be present in the solution when the complexes are formed. According to Cuthbert, Brown & Petch (1963), however, free rotation around the bond N-N is possible, at least, in the hydrazonium group H<sub>2</sub>N-NH<sub>3</sub><sup>+</sup>; if this is the case the two forms are 'frozen' at the moment of the formation of the complex chain.

The NCS- group is in the isothiocyanic form, being bound to the metal through N. It seems to be slightly bent (N-C-S=171°). Distances in the NCSgroup are S-C=1.65 Å and N-C=1.13 Å, in agreement with values in other compounds (Table 6). The S-C distance is longer than the standard double-bond distance, and the N-C distance is approximately equal to that of a normal triple bond. This means that between the two resonating structures

$$\left[ \left| \overline{\mathbf{N}} = \mathbf{C} = \overline{\mathbf{S}} \right| \right]^{-} \text{ and } \left[ \left| \mathbf{N} \stackrel{(+)}{=} \mathbf{C} - \stackrel{(-)}{\underline{\mathbf{S}}} \right| \right]$$

the second makes an important contribution to the bonding of the NCS group.

Sets of chains form layers parallel to (010). The packing distances of the chains within the layers  $(N \cdots S = 3.52, 3.45 \text{ Å})$  are shorter than the distances

# Table 5. Main distances and angles

~ .		
Dis	tan	ces

	•
N(1)(x, y, z) - N(2)(x, y, z)	1·469 ± 0·021 Å
C(x, y, z) - N(3)(x, y, z)	$1.128 \pm 0.014$
S(x, y, z)-C(x, y, z)	$1{\cdot}655\pm0{\cdot}012$
Zn(x, y, z) - N(3)(x, y, z)	$2.186 \pm 0.010$
Zn(x, y, z) - N(1)(x, y, z)	2.177 + 0.014
Zn(x, y, z) - N(2')(x, y, 1 + z)	2.163 + 0.012
N(3)(x, y, z) = N(1)(x, y, z)	$3.063 \pm 0.015$
N(3)(x, y, z) = N(2)(x, y, z) N(3)(x, y, z) = N(2)(x, y, 1 + z)	$3.050 \pm 0.018$
N(3)(x, y, z) = N(2')(1 - x - 1 - y - 1 - z)	$3.101 \pm 0.015$
N(3)(x, y, z) - N(2)(1 - x, 1 - y, 1 - z) N(1)(m, y, z) - N(2)(m, y, 1 + z)	$3.092 \pm 0.022$
IN(1)(x, y, z) = IN(2)(x, y, 1+z)	0.002 + 0.015
N(1')(1-x, 1-y, z) - N(2')(x, y, 1+z)	$3.046 \pm 0.015$
$S(x, y, z) - N(1''')(\frac{1}{2} - x, -\frac{1}{2} + y, 1 - z)$	$3 \cdot 608 \pm 0 \cdot 013$
$S(x, y, z) - N(2'')(\frac{1}{2} - x, -\frac{1}{2} + y, 1 - z)$	$3 \cdot 596 \pm 0 \cdot 011$
$S(x, y, z) - N(3'')(-\frac{1}{2} + x, \frac{1}{2} - y, z)$	$3\cdot725\pm0\cdot009$
$S(x, y, z) - C''(-\frac{1}{2} + x, \frac{1}{2} - y, z)$	3.494 + 0.011
S(x, y, z) = S''(-1+x, 1-y, z)	$3.799 \pm 0.005$
S(w, y, z) = S(-2 + w, 2 - y, z) S(w(1 + w + z) = N(2w(1) + w + z)	$4.360 \pm 0.009$
$S(\frac{1}{2}+x, \frac{1}{2}-y, z) - N(S)(\frac{1}{2}-x, -\frac{1}{2}+y, 1-z)$	4 300 1 0 003
$S'''(\frac{1}{2}+x, \frac{1}{2}-y, z)-N(2''')(\frac{1}{2}-x, -\frac{1}{2}+y, 1-z)$	$3.521 \pm 0.012$
$S''(\frac{1}{2}+x, \frac{1}{2}-y, z)-N(1''')(\frac{1}{2}-x, -\frac{1}{2}+y, 1-z)$	3.453 + 0.015
~ (21, 2 ),,	—

## Angles

$S'(1-x, 1-y, \bar{z}) - \widehat{C}'(1-x, 1-y, \bar{z}) - N(3')(1-x, 1-y, \bar{z})$	$170{\cdot}7^1{\cdot}6^$
$C'(1-x, 1-y, \bar{z}) - \hat{N}(3')(1-x, 1-y, \bar{z}) - Zn(x, y, z)$	$161{\cdot}2^0{\cdot}9^$
$N(3')(1-x, 1-y, \bar{z}) - X_n(x, y, z) - N(1')(1-x, 1-y, \bar{z})$	$89 \cdot 2^\circ \pm 0 \cdot 5^\circ$
$N(3')(1-x, 1-y, \bar{z}) - \hat{Zn}(x, y, z) - N(2'')(1-x, 1-y, 1-z)$	$89 \cdot 0^\circ \pm 0 \cdot 4^\circ$
$Zn(x, y, z) - \widehat{N}(1)(x, y, z) - N(2)(x, y, z)$	$117{\cdot}8^\circ\pm0{\cdot}6^\circ$
$\operatorname{Zn}(x, y, z) - \widehat{\operatorname{N}}(2')(x, y, \overline{1} + z) - \operatorname{N}(1'')(x, y, \overline{1} + z)$	$118{\cdot}9^\circ\pm09$ °

Table 6. Distances and angles in the NCS group

S-C	CN	$N-\hat{C}-S$	Compound	
1.66 Å	1.13 Å	171°	$[\mathbf{Zn}(\mathbf{N}_{0}\mathbf{H}_{4})_{0}(\mathbf{NCS})_{0}]$	Present work
1.62	1.16	177	[Cu(en)](NCS)	Brown & Lingafelter (1964)
1.64	1.20	178	[Ni(en),(NCS),]	Brown & Lingafelter (1963)
1.55	1.19	165	$Cd(\tilde{C}_{2}H_{4}, \tilde{N}_{2}, C=\tilde{S})_{2}(NCS)_{2}$	Cavalca, Nardelli & Fava (1960)
1.66	1.31	167	$\alpha - [Pt_2(NCS)_2Cl_2(P(C_3H_7)_3)_2]$	Owston & Rowe (1960)
1.76	1.28	linear	$AgSCN \cdot P(n \cdot C_3 H_7)_3$	Turco, Panattoni & Frasson (1960)
1.64	1.19	linear	AgSCN	Lindqvist (1957)
1.60	1.24	linear	$NH_4Ag(SCN)_2$	Lindqvist & Strandberg (1957)
1.71	1.10	linear	$NH_4Ag(SCN)_2$	Lindqvist & Strandberg (1957)
1.60	1.16	linear	$Ni(NCS)_2 \cdot 2[SC(NH_2)_2]$	Nardelli, Braibanti & Fava (1957)
1.64	1.12	linear	$Ni(NH_3)_3(NCS)_2$	Porai-Koshits, Antzishkina, Dickareva & Jukhnov
				(1957)
1.70	1.12	linear	$Ni(NH_3)_3(NCS)_2$	Porai-Koshits et al. (1957)
1.61	1.20	linear	$Ni(NH_3)_4(NCS)_2$	Porai-Koshits et al. (1957)
1.69	1.13	linear	$Se(NCS)_2$	Ohlberg & Vaughan (1954)
1.56	$1 \cdot 21$	linear	HNCS	Dousmanis, Sanders, Townes & Zeiger (1953)
1.57	1.34	linear	$[Hg(SCN)_4][Cu(en)_2]$	Scouloudi (1953)
1.59	1.23	linear	$K_2[Co(NCS)_4]$	Zhdanov & Zvonkova (1950)
1.61	1.21	linear	CH <sub>3</sub> .SCN	Beard & Dailey (1949)
1.56	1.22	linear	$CH_3$ . NCS	Beard & Dailey (1949)
1.59	1.25	linear	$NH_4NCS$	Zvonkova & Zhdanov (1949)
1.56	1.22	linear	HNCS	Beard & Dailey (1947)
		Single bond Double bond Double bond Triple bond	$ \begin{array}{ccc} S-C &=& 1 \cdot 81 & \text{\AA} \\ S=C &=& 1 \cdot 607 \\ C=N &=& 1 \cdot 287 \\ C\equiv& N &=& 1 \cdot 157 \end{array}  \right\} $	Pauling (1960)

between chains of different layers  $(N \cdots S = 3.61, 3.60 \text{ Å})$  (Fig. 5). The distance  $S \cdots C$  can be interpreted as a van der Waals contact. Interlayer distances  $N \cdots S$  exclude the possibility of hydrogen bonds. This explains the twinning satisfactorily because the interlayer forces are too weak to oppose adjustment of the twinned chains or layers in an upside-down

.

position. At the twin boundary a glide plane parallel to (100) is substituted for the glide plane parallel to (010) of the regular structure.

We wish to thank the Consiglio Nazionale delle Ricerche, Rome, for financial aid which has made the present work possible.



OS OC ON OZn

Fig. 5. Packing of chains in the structure. Sets of chains form layers parallel to (010). A large portion of the front chains is omitted for clarity.

#### References

- Анмер, F. R. & CRUICKSHANK, D. W. J. (1953). Acta Cryst. 6, 385.
- BEARD, C. I. & DAILEY, B. P. (1947). J. Chem. Phys. 15, 762.
- BEARD, C. I. & DAILEY, B. P. (1949). J. Amer. Chem. Soc. 71, 929.
- BEEVERS, C. A. & ROBERTSON, J. H. (1950). Acta Cryst. 3, 164.
- BOND, W. L. (1959). Acta Cryst. 12, 375.
- BROWN, B. W. & LINGAFELTER, E. C. (1963). Acta Cryst. 16, 753.
- BROWN, B. W. & LINGAFELTER, E. C. (1964). Acta Cryst. 17, 254.
- CAVALCA, L., NARDELLI, M. & FAVA, G. (1960). Acta Cryst. 13, 125.
- CRUICKSHANK, D. W. J. (1949). Acta Cryst. 2, 65.
- CUTHBERT, J. D., BROWN, I. D. & PETCH, H. E. (1963). Acta Cryst. 16, A184.
- DARLOW, S. F. (1960). Acta Cryst. 13, 683.
- DOUSMANIS, G. C., SANDERS, T. M. JR., TOWNES, C. H. & ZEIGER, H. J. (1953). J. Chem. Phys. 21, 1416.
- FERRARI, A., BRAIBANTI, A. & BIGLIARDI, G. (1962). Z. Kristallogr. 117, 241.
- FERRARI, A., BRAIBANTI, A. & BIGLIARDI, G. (1963). Acta Cryst. 16, 498.
- FERRARI, A., BRAIBANTI, A., BIGLIARDI, G. & DALLA-VALLE, F. (1963). Z. Kristallogr. 119, 284.
- FERRARI, A., BRAIBANTI, A., BIGLIARDI, G. & LANFREDI, A. M. (1963). Gazz. chim. ital. 93, 937.

- FERRARI, A., BRAIBANTI, A. & LANFREDI, A. M. (1961). Gazz. chim. ital. 91, 69.
- FORSYTH, J. B. & WELLS, M. (1959). Acta Cryst. 12, 412.
- LINDQVIST, I. (1957). Acta Cryst. 10, 29.
- LINDQVIST, I. & STRANDBERG, B. (1957). Acta Cryst. 10, 173.
- NARDELLI, M., BRAIBANTI, A. & FAVA, G. (1957). Gazz. chim. ital. 87, 1209.
- OHLBERG, S. M. & VAUGHAN, P. A. (1954). J. Amer. Chem. Soc. 76, 2649.
- Owston, P. G. & Rowe, J. M. (1960). Acta Cryst. 13, 253.
- PANATTONI, C., FRASSON, E. & MAMMI, M. (1960). *Ric.* Sci. 30, 2099.
- PAULING, L. (1960). The Nature of the Chemical Bond. 3rd ed. Ithaca: Cornell Univ. Press.
- PENNEY, W. G. & SUTHERLAND, G. B. B. M. (1934). J. Chem. Phys. 2, 492.
- PORAI-KOSHITS, M. A., ANTZISHKINA, A. S., DICKAREVA, L. M. & JUKHNOV, E. K. (1957). Acta Cryst. 10, 784. SCOULOUDI, H. (1953). Acta Cryst. 6, 651.
- TROTTER, J. (1959). Acta Cryst. 12, 884.
- Triban A. Durante O. & Druger D. (1000)
- TURCO, A., PANATTONI, C. & FRASSON, E. (1960). Nature, Lond. 187, 772.
- WILSON, A. J. C. (1942). Nature, Lond. 150, 152.
- ZHDANOV, G. S. & ZVONKOVA, Z. V. (1950). Zh. Fiz. Khim. SSSR, 24, 1339.
- ZVONKOVA, Z. V. & ZHDANOV, G. S. (1949). Zh. Fiz. Khim. SSSR, 23, 1495.